

Security Valuation

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- required rate of return in security using CAPM

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Part I Introduction to security valuation

meaning of security valuation

- In value valuation of assets of securities we take decision regarding purchase/sale of a security.

- Fundamental analysis approach (using financial data of a company) is used to check out re valuation

Required rate of return on security using CAPM (also known as expected return)

$$CAPM \rightarrow R_f + \beta(R_M - R_f)$$

Risk premium

Risk premium in market (MRP)

$$\beta(R_M - R_f) \rightarrow \text{Risk premium in security}$$

$$R_M - R_f = \text{Risk premium in security}$$

Part II valuation of equity shares.

I. Models for valuation of equity shares.

Dividend based model.

earning based model.

1. Gordon model.

2. DDM approach

$$P = \frac{D}{r}$$

(i) Perpetual dividend

(ii) Perpetual dividend with variable growth

(iii) Perpetual dividend with constant growth

assumption

assumption

assumption

$$V_0 = \frac{D_1}{r - g}$$

PV of uneven dividend

percentage in period

(+) PV of perpetual dividend (ie calculate)

(+) PV of terminal value

$$V_0 = \frac{D_1}{r - g} + \frac{TV}{(1+r)^n}$$

received market share

DDM Approach

(i) constant growth.

constant-growth assumption

$$K_e = \left[\frac{D_1}{P_0} \times 100 \right] + g$$

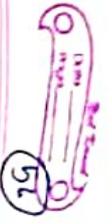
Note:- (1) If question is about regarding whether dividend is 0 or D_1 , then assume it as 0 in following cases (otherwise we will assume it as D_1):-

(i) 'dividend paid' or 'dividend pays' wording is given in question.

(ii) Dividend is given in income statement or the year in question.

(iii) Decision making on the basis of intrinsic value of share.

- If $TV > \text{current MPS} = \text{undiscounted} \Rightarrow$ Buy share
- If $TV < \text{current MPS} = \text{undiscounted} \Rightarrow$ Sell share
- If $TV = \text{current MPS} \Rightarrow$ Buy share



Earning Based models.

(I) P/E

growth model

$$V_0 = \frac{EPS_1(1+g)}{K_e - g}$$

$$P_0 = \frac{EPS_1(1+g)}{K_e - g}$$

$$MPS = \frac{EPS_1}{K_e - g}$$

$$P/E \text{ Ratio} = \frac{P_0}{EPS_1} = \frac{1+g}{K_e - g}$$

(II) P/E

approach

$$V_0 = \frac{EPS_1(1-b)}{K_e - b}$$

$$P_0 = \frac{EPS_1(1-b)}{K_e - b}$$

(III) Gordon's model.

walker's model.

$$V_0 = \frac{EPS_1(1-b)}{K_e - b}$$

$$P_0 = \frac{EPS_1(1-b)}{K_e - b}$$

(IV) yield on share

yield on share

$$V_0 = \frac{EPS_1(1-b)}{K_e - b}$$

$$P_0 = \frac{EPS_1(1-b)}{K_e - b}$$

* calculation of actual yield on share

$$\text{Yield on share} = \frac{D_1}{P_0} \times 100$$

Expected yield on share

Normal return on equity share of similar co. in market

Retention Ratio = $\frac{EPS_1 - D_1}{EPS_1}$



Actual yield on share	$\frac{D_1}{P_0} \times 100$
Expected yield on share	$\frac{D_1}{P_0} \times 100$

Retention Ratio	$b = \frac{EPS_1 - D_1}{EPS_1}$
Yield on share	$r = \frac{D_1}{P_0} \times 100$

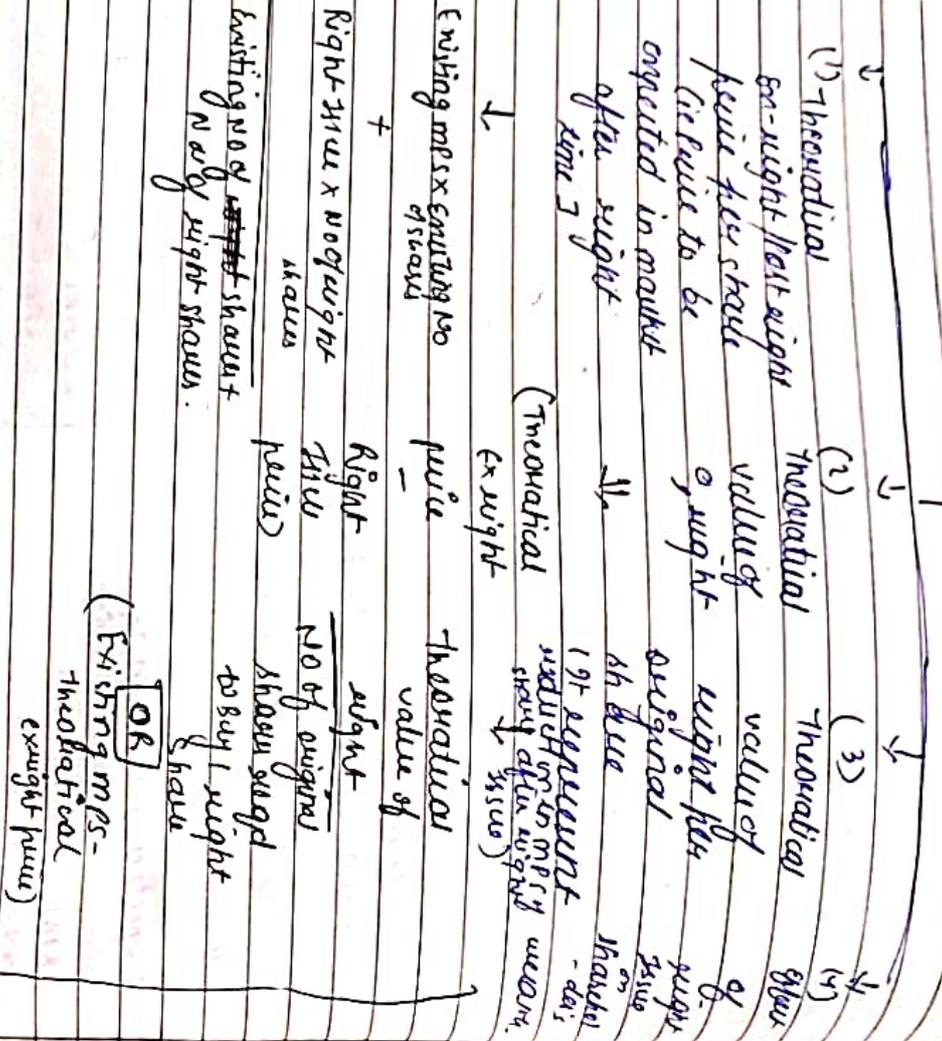
Normal return on equity share of similar co. in market	$R = \frac{D_1}{P_0} \times 100$
Expected yield on share	$E = \frac{D_1}{P_0} \times 100$

Retention Ratio	$R = \frac{EPS_1 - D_1}{EPS_1}$
Yield on share	$r = \frac{D_1}{P_0} \times 100$

Normal return on equity share of similar co. in market	$R = \frac{D_1}{P_0} \times 100$
Expected yield on share	$E = \frac{D_1}{P_0} \times 100$

Valuation of a right

Right Issue means issuing equity shares to existing shareholders of a company.



→ sold (+)
→ purchase (-)

(i) Effect of right issue on shareholder's wealth

(1) If shareholder exercise right issue ⇒ No change in wealth.

Value before right issue (original shares x existing price) = xxx

Value after right issue

Total shares including right shares ex-right price = xxx

Less:- payment for purchase of right shares = xxx

∴ No of right shares x right issue price = (xxx)

(ii) If shareholder sells the right → No change in wealth.

Value before right issue (original shares x original price) = xxx

Value after right issue (original share x original price) = xxx

∴ Add:- sale of right (No of right share x theoretical value of right) = xxx

∴ No of right share x theoretical value of right = xxx

(iii) If shareholder ignores the right issue ⇒

wealth will decline
Value before right issue (original shares x existing price) = xxx
Value after right issue (original shares x original price) = xxx



Part III valuation of Bond (Fixed Income securities)

↓
Bond pricing

↓
IV of bonds = N full future cash flows from the bond discounted using yield rate.

- (1) Redeemable bonds
- (2) redeemable Bonds
- (3) zero coupon bonds.

$V_0 =$ PV of interest + PV of redemption amount

↓
Bond which is required at discount & redemption

Formula term

$V_0 =$ at face value

interest + interest

$(1+k)^t$

⇒ Redemption amt (face value) x

PV of redemption amt

Formula term

$V_0 =$ face value

$(1+k)^t$

Imp notes → next page

Beta = is security of risk
conv. conversion to MKT 61

Note: ① If PV (Nominal value) of bond is not given in question then assume it as ₹100

② If redemption amt is not given in ques. then assume it as redeemable at par (ie on face value)

③ Interest on bond is always calculated at face value. Interest rate is also known as coupon rate

④ Redemption amt means maturity time period of bond.

⑤ ~~By~~ different yield rates (spot yield curve) is given for each year, then calculate PV of cash flows each year using yield rate of that year.

⑥ calculation of expected market price on the basis of intrinsic value of the bond: (Intrinsic value of bond V_0) x (beta of bond)

① types of yield curve

Normal yield curve

It happens in a market where long term bonds have high yield

(ie. upward is in normal situation)

↓
Inverted yield curve

It happens in a market where short term bonds have high yield

(ie. it has to show yield in comparison of long term bonds)

If there is semi annual interest coupon on bond then

→ convert interest rate into semi-annual rate (by dividing it by 2)

→ convert discounting rate into semi-annual rate (by dividing it by 2)

→ convert year to maturity into half yearly basis (by multiplying it by 2)

BONDS YIELD

It is the return an investor gets on its investment on market price in a bond.

Bond yield can be of 2 types :-
1. Current yield
2. Yield to maturity

Yield to maturity (YTM) :- It considers only payments received on bonds ignoring redemption amount

Yield to maturity (YTM) :- It considers interest payments received on bond till maturity including redemption amount

It is calculated for each type of bond as follows.

Bond yield

(1) Redeemable bond

current yield = $\frac{\text{interest}}{\text{current mfg of bond}}$

YTM + rate at which PV of all future cash flows of bond is equal to CMP of bond.

YTM = $\frac{\text{interest}}{\text{current mfg of bond}}$

YTM = $\frac{\text{interest} + \text{redemption} - \text{current mfg}}{\text{current mfg of bond}}$

(2) Irredeemable bond

In this bond only interest payments are received as it is not redeemable hence current yield of YTM will be same as guaranteed bond

YTM = $\frac{\text{interest}}{\text{current mfg of bond}}$

YTM = $\frac{\text{interest} + \text{redemption} - \text{current mfg}}{\text{current mfg of bond}}$

(3) Zero coupon bond

In this bond current yield cannot be calculated as there is no interest payment

YTM = $\frac{\text{redemption} - \text{current mfg}}{\text{current mfg of bond}}$

YTM = $\frac{\text{redemption} - \text{current mfg}}{\text{current mfg of bond}}$

Note :- (1) If we discount the future cash flows from the bond using YTM, then we will get CMP of bond.

(ii) current market price means price at which bond is currently trading in market or quoted price of bond

Step 3 Calculate weight of present value of each year cash flow using ytm

PV of cash flows of each year
sum of PV of total cash flows

Step 4 years weight of PV of cash flows of each year \rightarrow sum of all \rightarrow duration of bond.

Format for calculation of Duration of bond:-

years	cash flow	PV @ ytm	PV weight
(1)	(2)	(3)	(4)
			(5)
			(6)

Bond having lower duration is better in terms of risk (as we can see by comparison to other bond)

(II) volatility of bond (modified duration)

As represent % change in MP of Bond due to % change in yield with 1% ytm

Volatility of bond = $\frac{\text{duration of bond}}{(1 + ytm)}$

use the current ytm (used in calculation) in decimal.

% change in MP price of bond (due to change in ytm)



Change in ytm in (%) \times volatility

Change in market price of bond in \neq (current market price \times % change in MP of bond)

If ytm increases, MD will decrease & vice versa (ytm \uparrow MP \downarrow)

(III) convexity of Bond :-

Volatility does not provide accurate change in MP of bond resulting from change in ytm. So, new concept of convexity is introduced. It is adjustment to % change in MP of bond calculated using volatility

Convexity of Bond (%) = $\frac{\text{Change in ytm in decimals}^2 \times 100}{\text{MP}}$

Factors \Rightarrow $\frac{1 + V - 2V^2}{2 \times V^2 \times (1 + V)^2}$

% change in MP of bond :-

if ytm \downarrow \rightarrow MP \uparrow (price of bond increases)

if ytm \uparrow \rightarrow MP \downarrow (price of bond decreases)

% change in MP volatility using volatility convexity of bond

YTM \uparrow \rightarrow MP \downarrow (price of bond decreases) \rightarrow volatility

weight calculation
 wtd duration = 1 bond duration * 1 + 2nd bond duration

31] BOND IMMUNIZATION
 [8+48] $\frac{1}{1+r} + \frac{1}{(1+r)^2}$ $\frac{1}{1+r} + \frac{1}{(1+r)^2}$
 calculation of maturity

We have to meet liability after sometime. But that we have are making investment in bonds so that we can get able to settle the liability at that point of time

But there can be 2 types of risks in a bond which can affect the amount received. i.e. price risk and Reinvestment risk

So, there is a need to minimize the bond for this we have to invest in a short bond approximately so that their weighted duration (i.e. duration of bond portfolio) become equal to the duration of liability

duration of bond portfolio = duration of liability

(duration of bond portfolio) = duration of liability

weight A + weight B + weight C = 1
 Note: If in future duration of bond change then we have to calculate revised weights for each bond accordingly (changing the portfolio of bonds)

(ii) Amt to be invested initially in each bond on basis of weights calc above = No of bonds to be selected using formula

VI. Bonds Preunding
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When interest rates in market is falling, company may issue the new bonds at lower coupon rates and refund the existing bonds issued earlier prior to its maturity date

Company is required to pay existing bondholders an amount higher than face value which is known as call premium. To refund the old bonds, call premium = (call price - face value) * no of old bonds.

Net present value (NPV) method is used to evaluate bond refunding decision as follows:-

Step 1	Step 2	Step 3	Step 4	Step 5
calculate initial cash outflow	calculate annual cash on old bond	calculate annual cash on new bond	calculate annual cash on new bond	calculate NPV
call premium (xxx) rate	old bond xxx	new bond xxx	old bond xxx	NPV
			tax saving xxx	

step 1

success (rotation cost) of new bond vs old bond
Tax saving on new
- selling discount
Rotation cost of old bond

step 2

tax saving on new
- selling discount
Rotation cost of old bond
pay years
Dis. of rotation cost
majority periods
gold bonds

Discount rotation cost
of old bond \times term
period of old bond
availability
period of old bond
Annual tax on
old bond -
Annual tax on
new bond

overlapping about
on old bond
(-) Tax saving
(overlapping tax
Tax cost) \times term
Annual tax on
old bond -
Annual tax on
new bond

NPV is
Positive = Bond refunding
is beneficial
Negative = Bond refunding
is not beneficial

NPV is
Positive = Bond refunding
is beneficial
Negative = Bond refunding
is not beneficial

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Convertible Bonds :-

In convertible bond, option is given to bondholders to convert the bond in a fixed no of eq shares

Some calculations related to convertible bond for decision making :- (cases)

(1) Conversion Ratio = No. of shares per bond on conversion

(2) Conversion value = $\frac{\text{Market value of bond} \times \text{CR}}{\text{Conversion ratio}}$

(3) Conversion premium :-
(i) Total conversion premium
(ii) Conversion premium as % of conversion value
(iii) Conversion premium as % of market value of bond

(4) Conversion parity price or market conversion ratio
Market price of bond
Conversion ratio
Market price of bond
Conversion ratio

(5) Conversion parity price or market conversion ratio
Market price of bond
Conversion ratio
Market price of bond
Conversion ratio

(6) Conversion parity price or market conversion ratio
Market price of bond
Conversion ratio
Market price of bond
Conversion ratio

(7) Conversion parity price or market conversion ratio
Market price of bond
Conversion ratio
Market price of bond
Conversion ratio

(8) Conversion parity price or market conversion ratio
Market price of bond
Conversion ratio
Market price of bond
Conversion ratio

(9) Conversion parity price or market conversion ratio
Market price of bond
Conversion ratio
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Conversion ratio

(10) Conversion parity price or market conversion ratio
Market price of bond
Conversion ratio
Market price of bond
Conversion ratio

P(5)

Calculable income differential per share =
Coupon interest premium - (Coupon conversion ratio x 0.125%)

Conversion ratio

→ (6) Premium paid at par =

conversion premium percentage
calculable income differential per share

→ (7) Straight value of bond =

fv of future cash flow from bond using
yield without conversion option int rate

→ (8) Percentage of par value with = (P/S)

market price of bond - straight value of bond /
fv of bond

→ (9) Premium over straight value =

mp of bond - straight value of bond x 100
straight value of bond

→ (10) Investor will exercise conversion option only
when conversion value of bond exceeds
straight value of bond.

Q.58

MONEY MARKET INSTRUMENTS

It is a series of short-term borrowings (< 1 year).
eg:- Commercial paper (CP), certificates of deposits
(CDs), Treasury bill (T-bill) etc.
It is issued at discount and redeemed @ par value.

More calculations that are need to be done for exam
purpose:-

(1) Nominal interest rate An
yield / bond equivalent yield

(2) Discount yield
↓
Effective Annual interest rate
↓
Actual yield in call

$$y = \frac{F - P}{P} \times \frac{360}{n} \times 100$$

Note:-
shortcut for calculation of 'P' (call price) or
investment amt) on
given yield is
question

$$P = \frac{F}{1 + y \times \frac{n}{360}}$$

Net amt received by the co

$$P = \frac{F}{1 + y \times \frac{n}{360}}$$

Net amt received by the co

• Repurchase agreement (repo) transaction in money market:-

→ In this transaction, A bank raises funds from another bank by selling government of India bonds and also agrees to repurchase the bonds after a specified time by paying outflow at equivalent on the initially raised fund.

→ calculation of amount initially Aided (Net leg outflow)

Govt bonds sold amt (no of govt bonds sold) \times xx

(-) initial margin
Govt bond sale amt \times initial margin \times 1.1

Here no of govt bond sold =

total face value of govt bonds
Face value of single govt bond

Q4 If face value of single govt bond is not given in question Assume it as ₹100

(Dirty price = Clean price + Accrued interest on Govt bond)

Q4 Clean price is the price of govt bond at the time when last interest paid on the bond

Q5 Accrued interest on govt bond
Face value of single govt bond \times interest layers \times accrued rate on govt bond \times no of days \times no of days

→ calculation of amt to be paid at the time of repurchase (second leg or repayment at maturity)

(+) Govt bonds (Net leg amount) \times xx

(+) Repo interest [Govt bonds \times Repo rate \times no of days of repurchase] \times xx

Purpose is to reduce excess liquidity in the economy:- (Reverse repo)

Q6 (i) Dirty price = Clean price + Accrued interest

$\Rightarrow 99.42 + 2.232$

(ii) First leg :-

Nominal value of $\frac{100}{100} \times 100 = 100$

$\rightarrow 8.61 \times 106.79 \frac{100}{100} = 8.536$
(-) 1M (2% $\times 2$) $\frac{100}{100} = 0.17072$
 $\underline{8.36528}$

Expected Total MV of shareholders $\times \times \times$
(\div) No of total equity shares $\times \times \times$
[no of existing shares + no of new
shares issued]
Expected share price of $\times \times \times$
company